

Manipulation of Flows

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Docent Lecture,

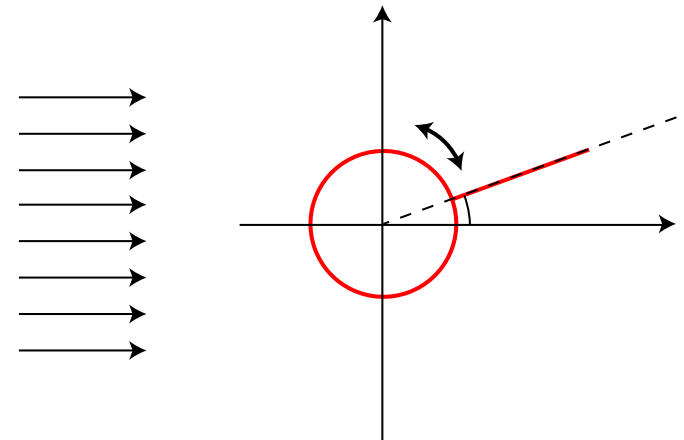
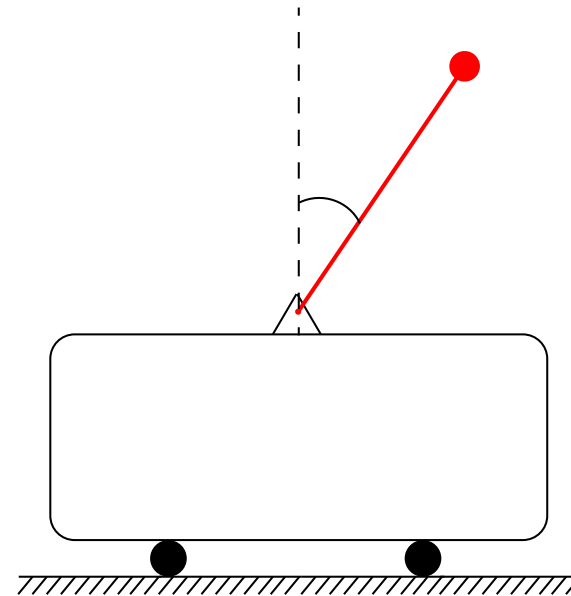
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Today's lecture

What is flow manipulation?

Control of inverted pendulum

Inverted pendulum instability in flows



Flow control: **objectives, means and constraints**

Objectives

Flow mixing, noise reduction, drag reduction

Means

Boundary conditions, flow or fluid properties

Constraints

Dynamics, external, physical

Flow control is everywhere in technology

mixing in multiphase systems
ink-jet printers
fuel injection in engines
shape optimization in aerodynamics
vortex generator/riblets/LEBUs
additive polymers/micro-air bubbles
control of thermoacoustic oscillations
and many more...

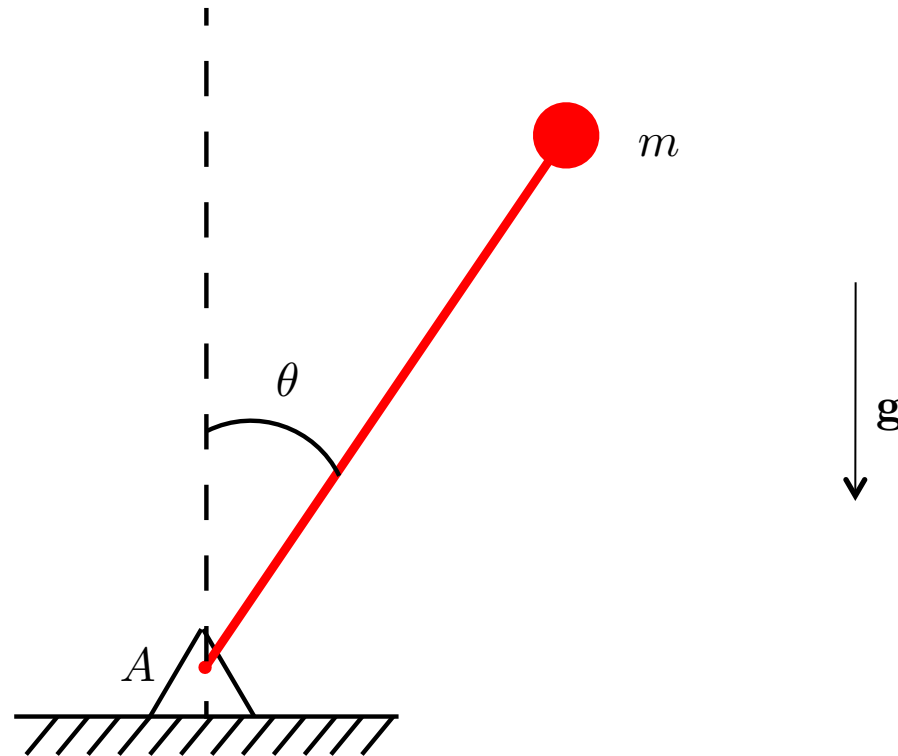
Most are based on trial and error

Most are suboptimal and not robust

For systematic, efficient, robust control we also need a **good model**

Example: **inverted pendulum**

Pendulum hinged at A is unstable



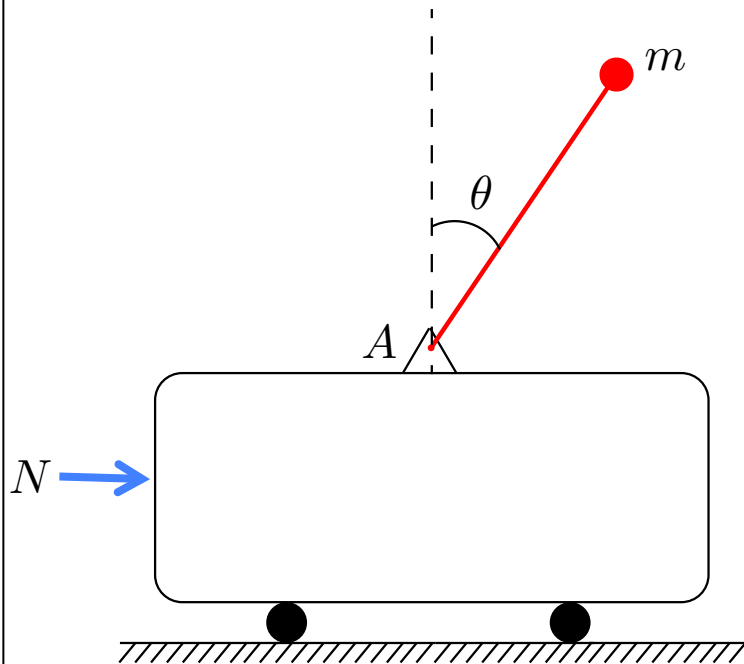
By developing systematic/efficient/robust control of this system we can...

also control unicycles, iBots, robots, Segways,...



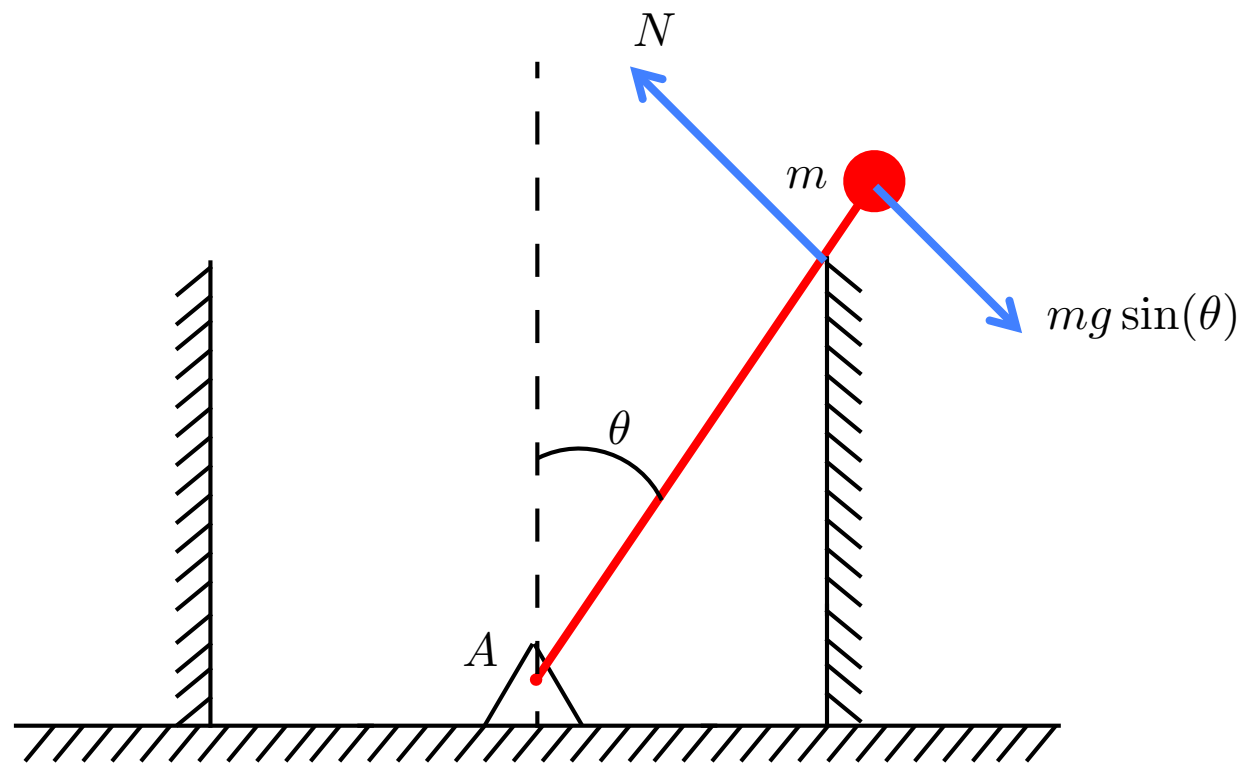
We can control inverted pendulum **actively**

by feedback control

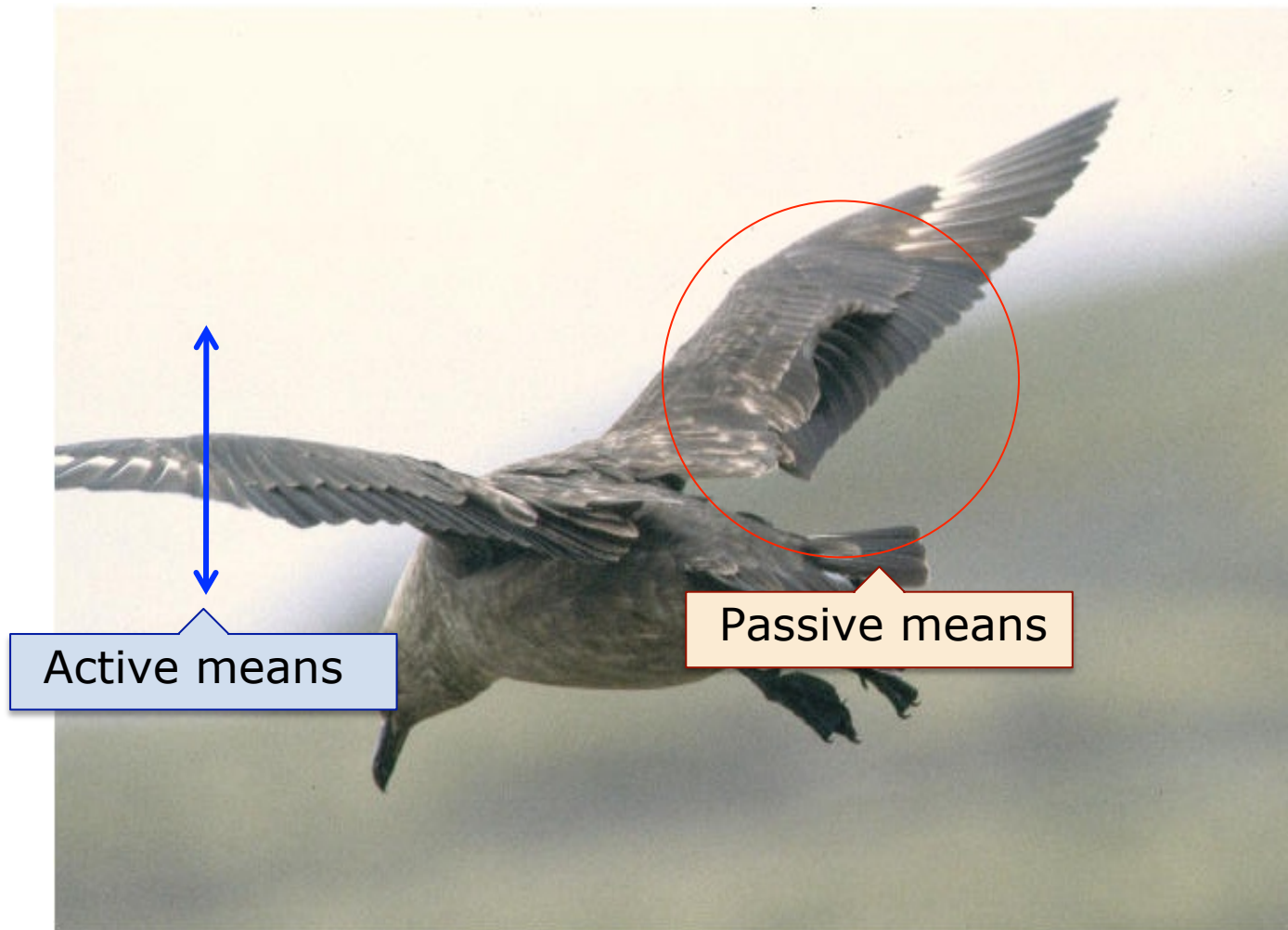


or **passively**

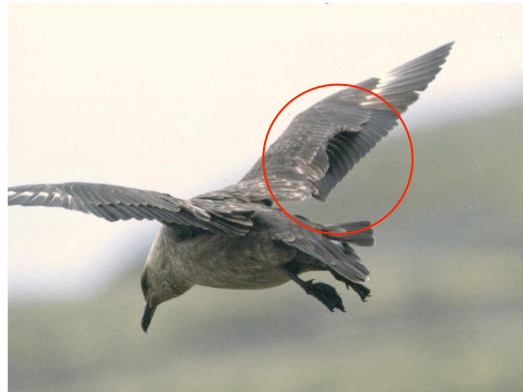
by adding walls yielding zero torque around A



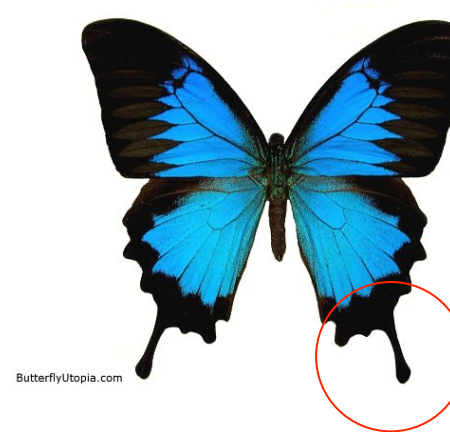
Active and passive control in nature



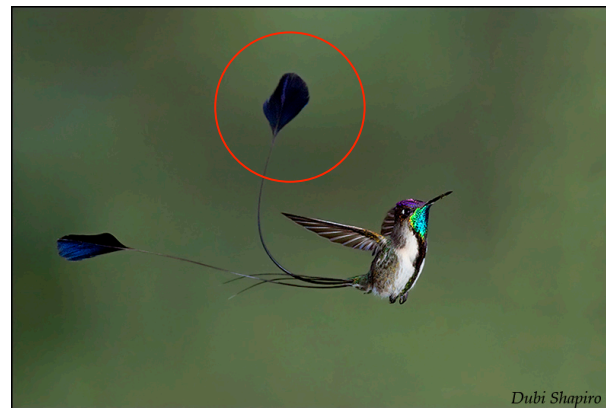
Can **passive appendages** undergo an inverted-pendulum instability?



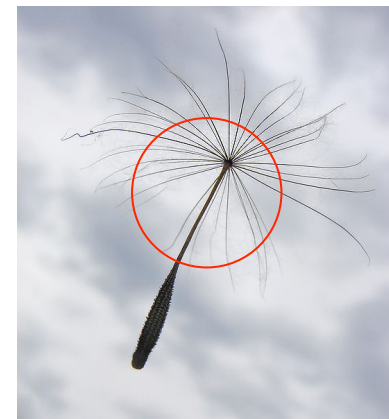
Pop-up feathers of birds
Schatz et al, AIAA 2004



Swallowtail butterfly
Park et al, Exp. Mech. 2010



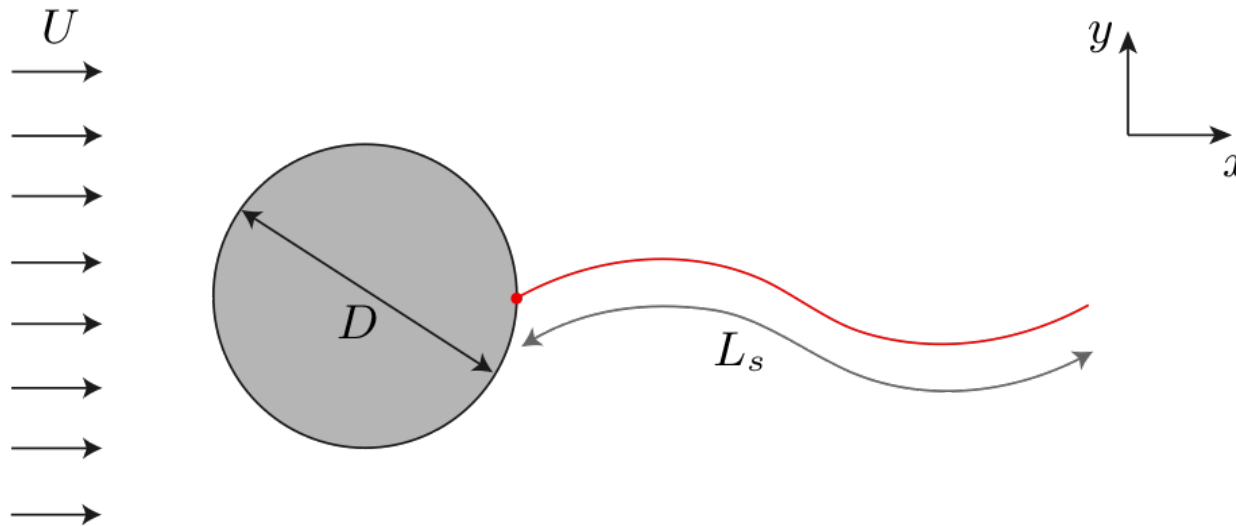
Marvelous Spatuletail
[www.bbc.co.uk/nature/life/
Marvellous_Spatuletail](http://www.bbc.co.uk/nature/life/Marvellous_Spatuletail)



Dandelion plant
Burrows, New Phytol, 1975

Model of a body with a passive appendage

Incompressible stream (U) of fluid with viscosity (ν) past a two-dimensional fixed cylinder of diameter (D) with a passive elastic filament of length (L) attached to its rear end.



What happens?

A **short/long filament** flapping in a cylinder wake

Reynolds number: $Re = \frac{UD}{\nu} = 100$

Long Filament

$$L/D = 3$$

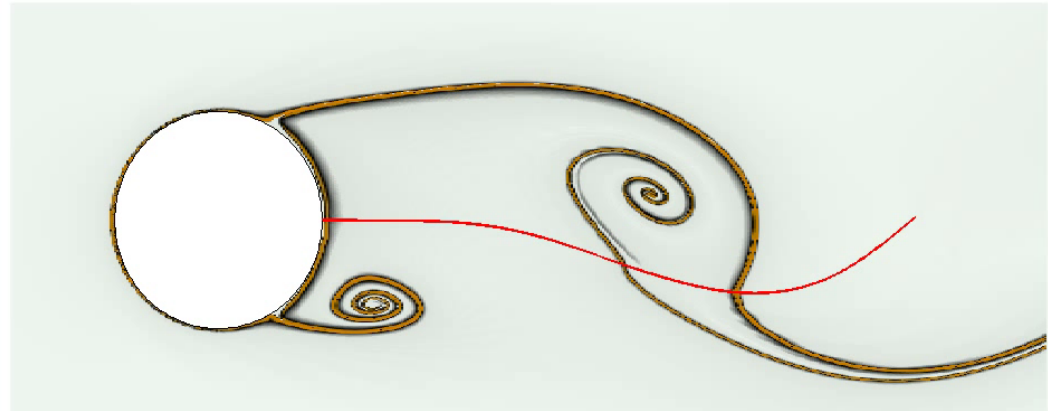
Flaps
symmetrically

Short Filament

$$L/D = 3/2$$

Filament gets
trapped!

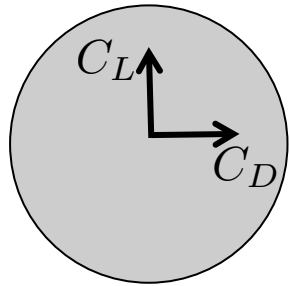
time = 264.55 L = 3.00



time = 315.05 L = 1.50

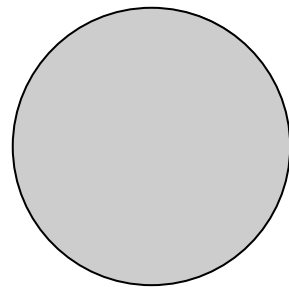


Drag and lift force on cylinder with/without filament



$$\langle C_D \rangle = 1.36$$

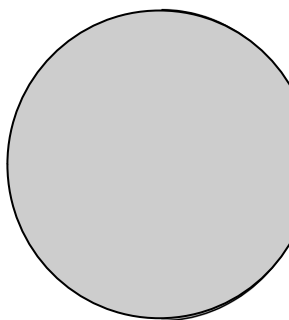
$$\langle C_L \rangle = 0$$



$$L = 3$$

$$\langle C_D \rangle = 1.28$$

$$\langle C_L \rangle = 0$$



$$L = 1.5$$

$$\langle C_D \rangle = 1.32$$

$$\langle C_L \rangle = 0.18$$

Total drag reduced and net lift force produced

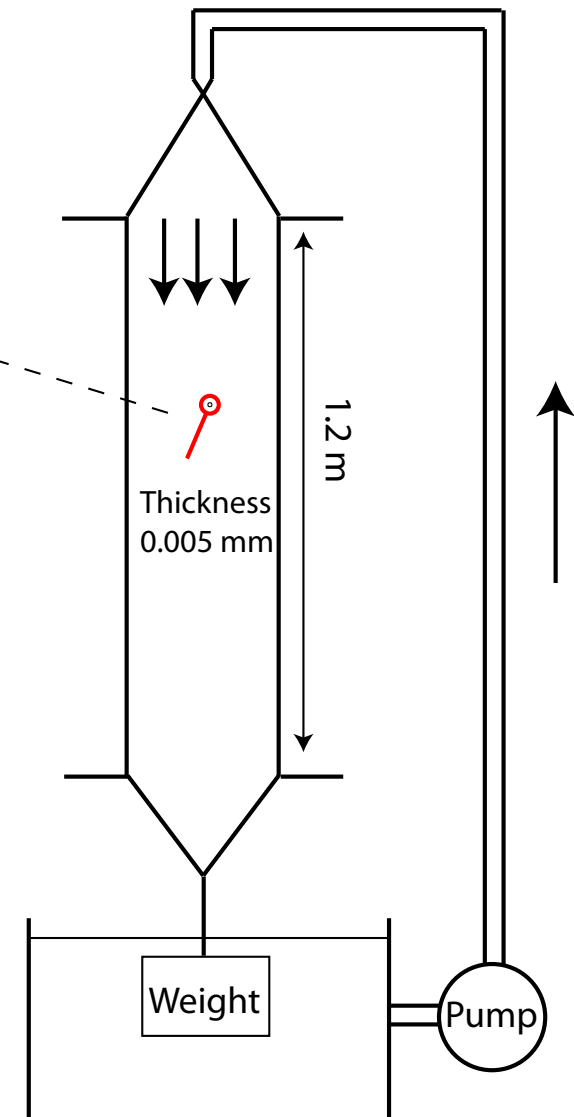
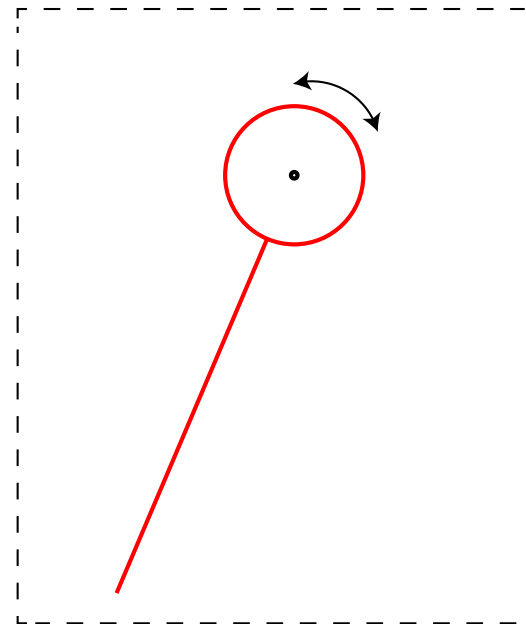
A free-to-rotate cylinder plus plate in a soap film

Due to gravity soap film falls between two wires

Cylinder diameter: 6.3mm

Film velocity: 1.9 m/s

Reynolds number: 12000



Observation of **turn angle** from experiments

Long plate

0 degree
turn angle

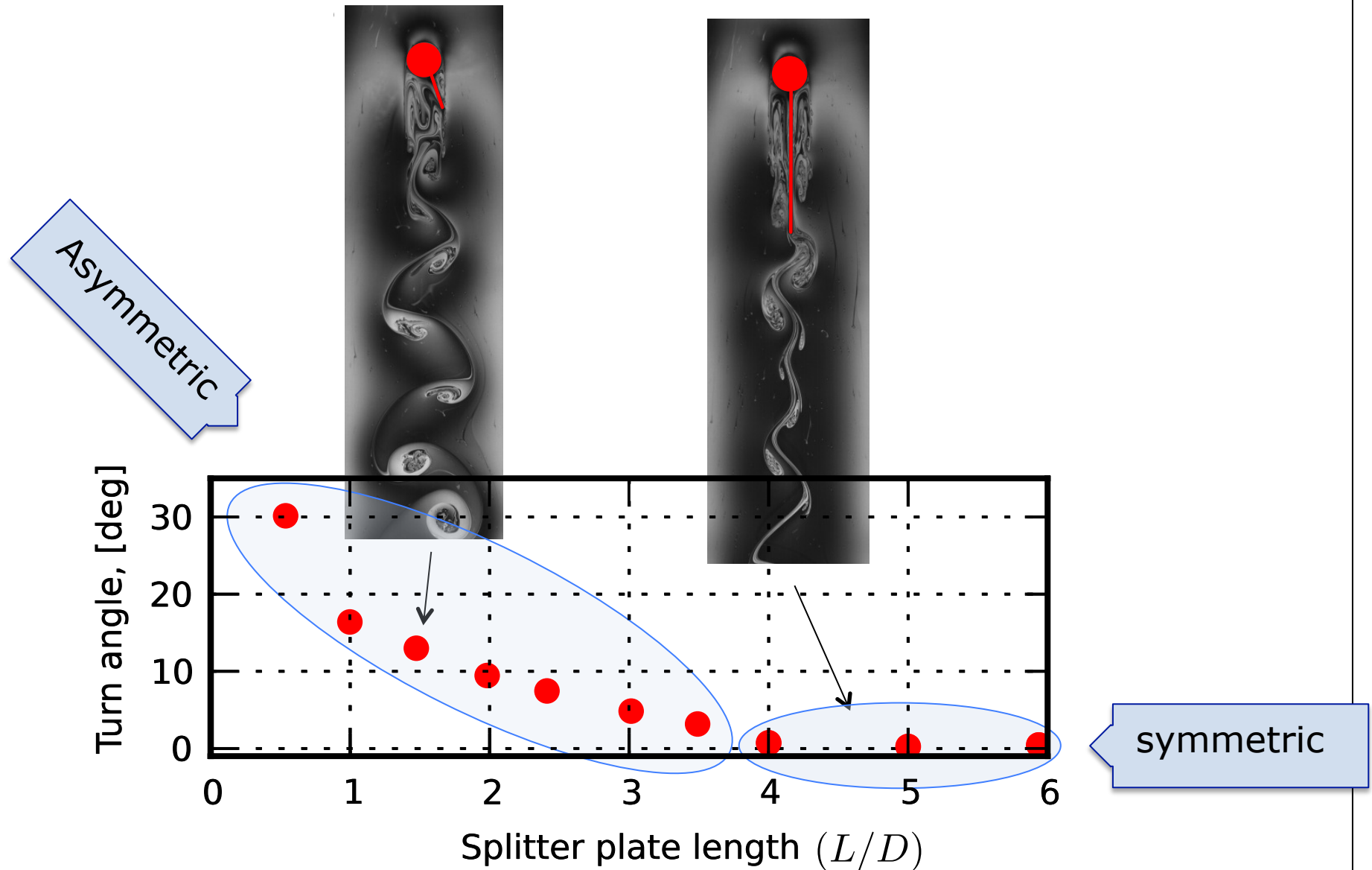


short plate

16 degree
turn angle



Bifurcation at a critical splitter plate length



Final **analytical expression** for the turn angle

For an back-flow region in the form of an ellipse we get

$$\theta_{1,2} = \pm \arccos \left(-\frac{q_b}{2q_a} + \frac{\sqrt{q_b^2 - 4q_a q_b}}{2q_a} \right)$$

where

$$q_a = \left[0.5 + \hat{B}(\hat{L}) \right]^2 (a^2 - b^2),$$

$$q_b = 2b^2 y_0 \left[0.5 + \hat{B}(\hat{L}) \right],$$

$$q_c = a^2 b^2 - b^2 y_0^2 - a^2 \left[0.5 + \hat{B}(\hat{L}) \right]^2,$$

$$y_0 = 0.5 \cos \theta_0,$$

$$a = 0.5 \sin \theta_0,$$

$$b = 0.5 - y_0 + \hat{B}_{\max}.$$

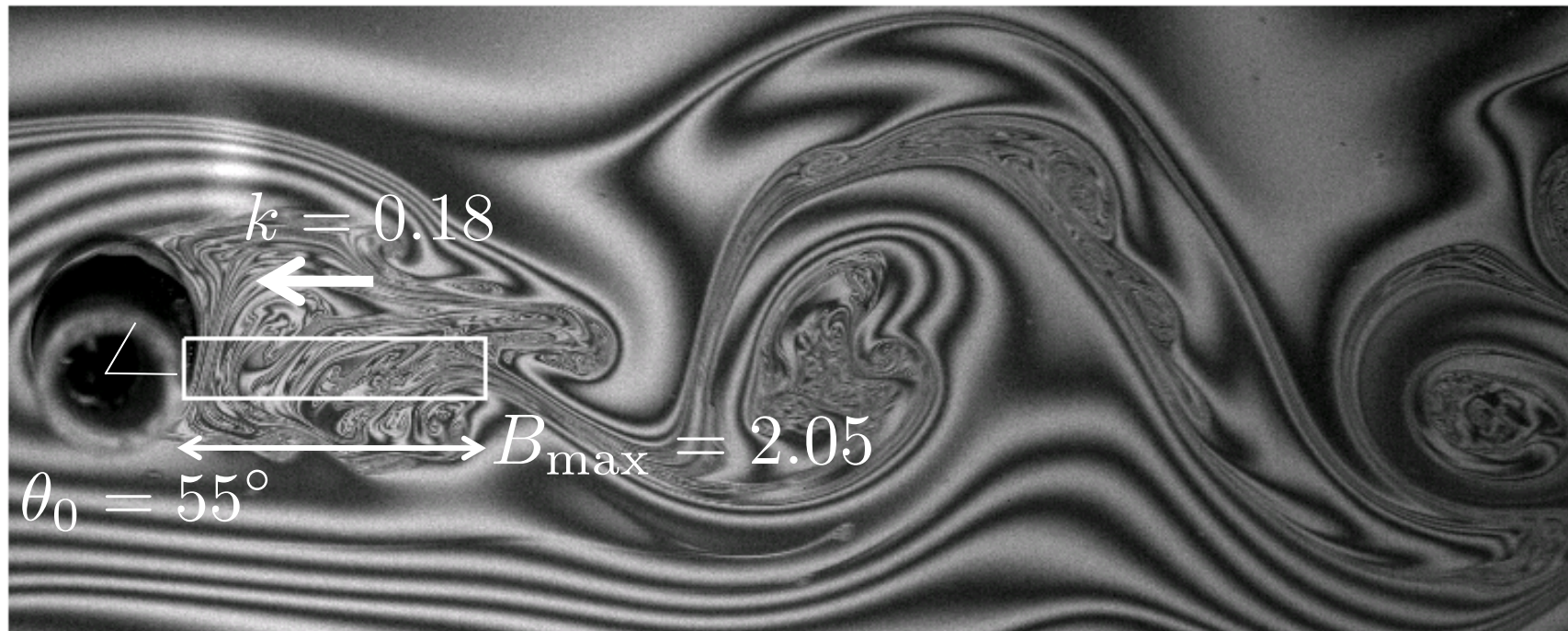
and

$$\hat{B}(\hat{L}) = \frac{1}{2} \left[\sqrt{\frac{4}{k+1} (\hat{L}^2 + \hat{L}) + 1} - 1 \right]$$

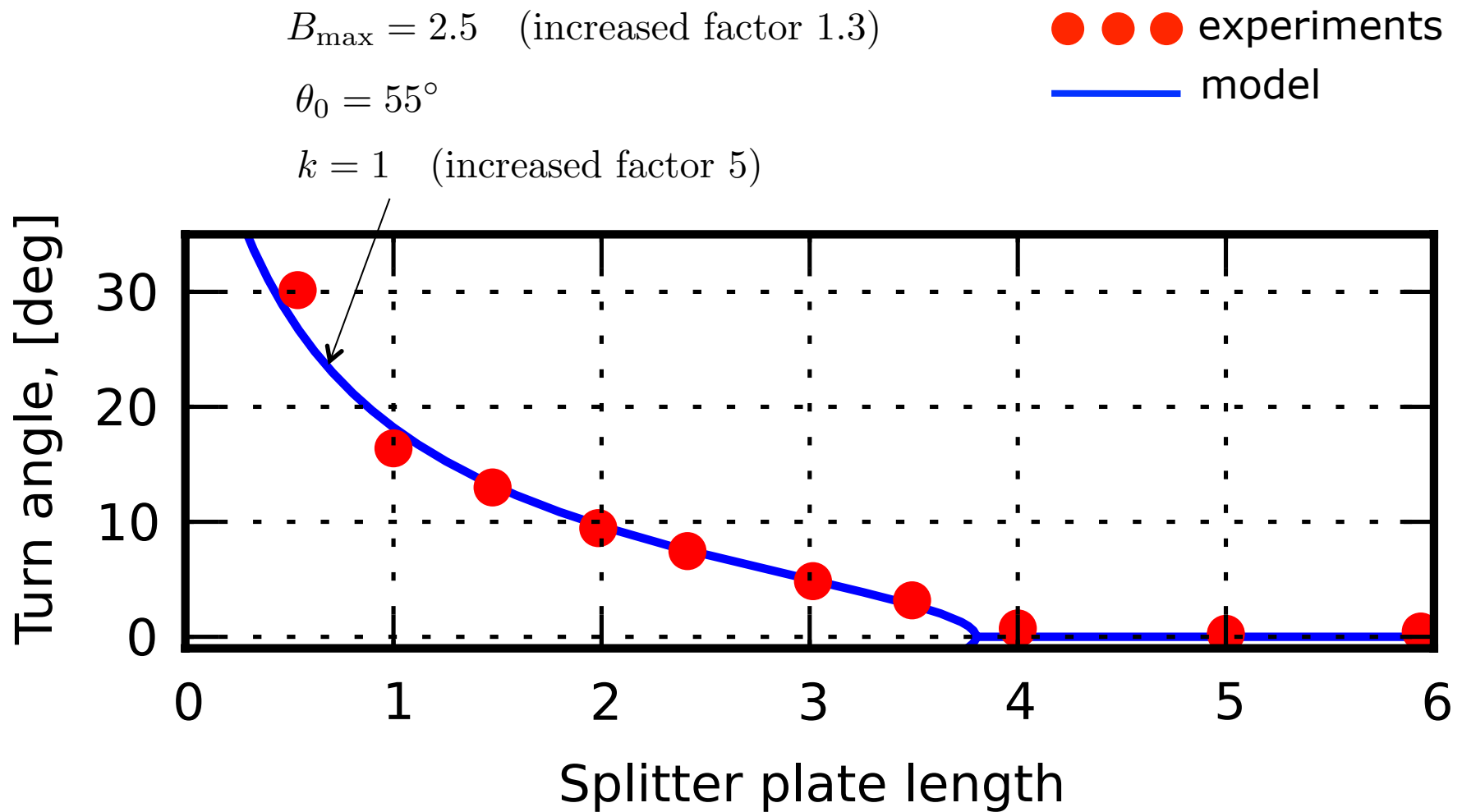
Determined by three parameters

Estimating parameters from experiments

Estimates give the order of magnitude of the three parameters



Good agreement between experiments and theory



Summary of today's lecture

- For **systematic efficient flow manipulation** we need a model for control
- **A good model for control is** a simple model (not Navier-Stokes) that isolates an underlying mechanism of a more complex phenomenon
- Complex systems can be **decomposed to many simple models + interfaces** between models
- **Inverted pendulum instability** is an example of simple mechanism incorporated in a complex nonlinear fluid-structure interaction problem
- How to find a model? **Next Lecture!**

If you can't come to next lecture you can talk to

Ugis Lacis

- Can model from “physical intuition”

Nicolo Fabbiane

- Can model from signal measurements of a fluid flow

Reza Dadfar

- Can model from huge numerical/experimental data